Problem SECURITY: Security

The Brazilian police has decided to take new security measures in order to be prepared for the FIFA World Cup scheduled for June, this year. The police has a map of Rio de Janeiro, depicted as a graph with N crossings and M roads. Each road has unit length and connects two different crossings.
K of these crossings host many illegal activities throughout the year and are thus considered being of high risk. The police department wants to place officers in every high risk crossing, to be able to deal with unexpected events. Unfortunately, due to lack of funds, there are only $K - 1$ officers available for the job.
In order to still cover every high risk crossing, one single officer has the responsibility of watching over two interest points. For a higher degree of safety and in order not to overwhelm that one officer, the police chief wants the two high risk crossings to be as close as possible to each other. However, finding the minimal distance between any two high risk crossings is a hard problem for the police staff, since it requires knowledge about graph theory and mathematics. They need your help!

Input

The first line of input contains three integers: N, M and K, where N represents the number of crossings, M the number of roads and K the crossings of high risk ($1 < K \leq N \leq 1\,000\,000$; $0 < M \leq 1\,000\,000$). The second line contains K different numbers, the 0-based indices of the high risk crossings. Then M lines follow, each holding two integers a_i and b_i, which define a road by its vertex indices $(0 \leq a_i, b_i < N, a_i \neq b_i)$.

Output

The output contains one integer, representing the minimal distance between any two high risk crossings. If there is no connecting path between any two crossings, then output "`Impossible`".

Sample Input 1

```
4 3 2
0 3
0 1
1 2
2 0
```

Sample Output 1

```
Impossible
```

Sample Input 2

```
8 7 3
0 4 7
0 1
1 2
0 2
2 3
3 4
2 5
5 7
```

Sample Output 2

```
3
```